An introduction to UPPAAL

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(lezione tenuta dalla prof.ssa Donatelli

UPPAAL

- Developed by the universities of Uppsala (Sweden) and Aalborg (Denmark)
	- www.uppaal.com
- Used to model check:
	- Systems expressed as networks of interacting timed automata (with discrete variables)
	- A restricted class of CTL properties (limited nesting)

Timed automata

- Recall: timed automata
	- Finite state graph equipped with a finite set of variables called clocks, which increase at the same rate as real-time

- Semantics: timed transition systems
	- E.g. of (timed) transition:

 $(n, x=2.4, y=3.1415) \rightarrow (n, x=3.5, y=4.2415)$

• E.g. of (discrete) transition:

 $(n, x=2.4, y=3.1415) \rightarrow (m, x=0, y=3.1415)$

Networks of timed automata

- Model complex systems using a set of interacting timed automata
- Edges of timed automata can be labelled with *actions*
	- Can be used to define synchronization, as in process algebra
	- UPPAAL models feature two-way synchronization on *complementary* actions
	- No action label: internal action

Networks of timed automata

- Other key concepts in the UPPAAL modelling language:
	- Urgency (of locations, and of synchronization channels)
	- Committed locations
	- Discrete variables (with bounded domains)
	- Constants
- There are additional concepts (more recently introduced)

• System editor (to create and edit system models):

- Declaring clocks:
	- Syntax:

clock x1, …, x_n;

– Example: (to declare clocks x and y) clock x, y;

- Declaring discrete variables:
	- Syntax:

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int[1, u] p1, ..., p n;
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– Example: (to declare two integer variables which takes values between 0 and 255 inclusive)

int[0,255] p, q;

– Example - "default" domain: (to declare an integer variable which takes values from the "default" domain [-32768, 32767])

int p;

– Example - initialisation: (to declare an integer variable which takes values between 1 and 100 inclusive, and which is initialised to 20)

int[1,100] p=20;

- Declaring channels (i.e. actions):
	- Syntax:

chan a 1 , ..., a n;

– Example: (to declare two channels)

chan a, b;

• Declaring urgent channels: (to be explained later...):

– Syntax:

urgent chan a1, ..., a n;

- Declaring boolean variables:
	- Syntax:

bool b1, …, bn;

– Example:

bool switch=false;

- Declaring constants:
	- Syntax:

const int c=n; const bool c=n;

– Example:

const int N=1024;

- Invariant conditions:
	- Conjunction of upper bounds on the values of clocks (the bound can be given by an expression over integers, including integer variables)
	- Example:
		- x<40 && y<=time_out*3 (where x, y are clocks, and time_out is an integer variable or integer constant)

- Guards (on edges):
	- Clock guards: comparisons of values of clocks with bounds (bounds can be given as integer expressions)
	- Data guards: comparisons of values obtained by resolving integer expressions
	- For example:
		- x>backoff && backoff=bc_max (where x is a clock, backoff is an integer variable, and bc max is an integer constant)

- Updates (to clocks and variables):
	- Assignment of a new value to a clock or variable (the new value may be the result of an integer expression)
	- For example:
		- $x:=0$ (where x is a clock)
		- x:=backoff*3 (where x is a clock and backoff is an integer variable)
		- backoff:=5 (where backoff is an integer variable)

- Actions:
	- Can be of the form a!, a?, where a is the name of a channel
	- … or the edge can be unlabelled (corresponding to choice of the edge unrestricted by other automata of the system, i.e., internal action)

- Timed automata are modelled using *templates*
	- The list of templates are given in the left-hand bar:

• Template: the structure of a timed automaton (represented graphically), plus a set of local declarations

Each template has a name and a set of parameters:

Name: Door Parameters: bool &activated, urgent chan &pushed, urgent chan &closed1, urgent chan &closed2

• Each template can be instantiated a number of times to obtain a number of timed automata subcomponents:

 $\texttt{Door1}$ = Door(activated1, pushed1, closed1, closed2); $\texttt{Door2}$ = Door(activated2, pushed2, closed2, closed1);

• System: corresponds to a series of instantiated templates (plus global clocks, channels, data variables, constants, which may be used in the instantiated templates)

- Urgent channels
	- Suppose that in the two timed automata, the edges from n1 to m1, and n2 to m2, should be taken as soon as possible
		- That is, when both timed automata are able to synchronise on channel a
	- Solution: declare a as an urgent channel

- Urgent channels
	- Recall syntax:

urgent chan a1, ..., a n;

- Informal semantics: *no time delay is possible when an urgent action can be taken*
- Restrictions: it is not permitted to have clock guards on transitions with urgent channels (however, invariants and data variable guards are permitted)

- Urgent locations
	- Informal semantics: *no time delay is possible when some timed automaton component of the system is in an urgent location*
	- Note that this places no restriction on the (enabled) discrete transitions that can be taken when an urgent location is entered
		- E.g. TA1 enters an urgent location, then the next transition of the system can be one of TA2's enabled discrete transitions

- Urgent locations
	- What is the difference between the following two situations (from the point of view of the semantics)?

- Urgent locations
	- No difference for the semantics: it's just that we require the "extra" clock x to "simulate" urgency of location m
	- Having the extra clock is (generally) bad for modelling and analysis

- Committed locations
	- Informal semantics:
		- *No time delay is possible when some timed automaton component of the system is in a committed location*
		- *The next transition must involve a timed automaton in a committed location*

• Committed locations

– Compare the following two situations (start from (n1,n2, ...)): <mark>TA2</mark>

• Committed locations

TA1 takes the first transition, then TA2 takes the left-hand transition to m2 …

- Committed locations
	- Compare the following two situations (start from (n1,n2, ...)): <mark>TA2</mark>

… or TA1 then takes the transition to p1 and TA2 synchronises with this transition

• Committed locations

– Compare the following two situations (start from (n1,n2, ...)): <mark>TA2</mark>

n2

In the case the m1 is committed, TA2 does not have the opportunity to take the transition to m2: only TA1' can take a transition

- Committed locations
	- Can aid modelling (e.g. for multi-way synchronization)
		- Example: to synchronize on a! in TA1, a? in TA2, and a? in TA3

- Committed locations
	- Can aid modelling (e.g. for multi-way synchronization)
	- Can reduce the interleaving in state space computation

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- Extensions to the UPPAAL modelling language:
	- Broadcast channels
	- Arrays of data variables (which can be referred to in guards and assignments)
	- Arrays of channels, clocks and constants
	- $-$ Further operators on data variables (e.g. i++)
	- Priorities on channels and processes
	- C-like functions
	- Others …

Verifying in UPPAAL

- Specification language: a subset of CTL
	- A [] p (corresponds to AG p)
	- $-$ A \lt > p (corresponds to AF p)
	- $-$ E \lt > p (corresponds to EF p)
	- $-$ E[] p (corresponds to EG p)
	- $p \rightarrow q$ (corresponds to AG(p \rightarrow AF q))

Verifying in UPPAAL

• A[] p , A \lt $>$ p , E \lt $>$ p , E[] p , p --> q

 $p ::= a$. | gd | gc | p and p | p or p | not p | p imply p | (p) where:

- a is the name of a timed automaton
- l is the name of a location of a
- gd is an expression over data variables
- gc is an expression over clock variables

Verifying in UPPAAL

UPPAAL's simulator

Permits exploration of the system following a (random or userspecified) behaviour

UPPAAL's simulator

UPPAAL's simulator

- The simulator can be used to visualise "error traces" generated by the verifier (choosing an option from "Diagnostic trace")
- For example:
	- $-$ If $E \ll$ p is satisfied, UPPAAL can return a trace which leads from the initial state to a state in which p is true
	- $-$ Dually, if $A[]$ p is not satisfied, UPPAAL can return a trace which leads from the initial state to a state in which p is false
	- $-$ Similar for $E[]$ p and $A \ll p$, except traces containing loops are returned